
Hands on RAMSES

Computational MHD

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Outline

- The compound wave problem in 1D
- The Orszag-Tang vortex problem in 2D

Solution in Fromang, Hennebelle & Teyssier, 2006, A&A, 457, 371

The compound wave problem

Box size = 3

Outflow boundary conditions and $\gamma = 5/3$

Left and right state ($\rho, u, v, w, P, A, B, C$) with interface at $x=1.5$

Left state: (1, 0, 0, 0, 1, 1, 1, 0)

Right state: (0.2, 0, 0, 0, 0.2, 1, $\cos \alpha$, $\sin \alpha$)

Choose as final time $t=0.4$

Try first $\alpha = \pi$ with 256 grid points.

Identify the compound wave (Alfven + Slow)

Try then $\alpha = 3$ with 256 grid points.

Do you still see the compound wave ?

Use AMR for $\alpha = 3$ up to $l_{\max}=20$.

What do you see ?

The Orszag-Tang vortex

Box size = $[0, 1] \times [0, 1]$

Periodic boundary conditions and $\gamma = 5/3$

Uniform density and pressure $P_0 = 5/(12\pi)$ and $\rho_0 = \gamma P_0$

$\mathbf{B} = (-B_0 \sin 2\pi x, B_0 \sin 4\pi y)$ with $B_0 = 1/\sqrt{4\pi}$

$\mathbf{v} = (-\sin 2\pi y, \sin 2\pi x)$

Final time $t=0.5$

Patch condinit.f90 to set up the initial conditions.

Make sure that $\text{div } \mathbf{B} = 0$ initially (use the vector potential).

Use 128 grid points in each direction.

Compare various 1D and 2D Riemann solvers (LLF, HLL, HLLD, Roe)

Use AMR up to $l_{\max}=9$ with various refinement strategy.